# 國立成功大學 111學年度碩士班招生考試試題

編 號: 133

系 所: 航空太空工程學系

科 目: 自動控制

日期: 0219

節 次:第1節

備 註:不可使用計算機

編號: 133

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系 所:航空太空工程學系

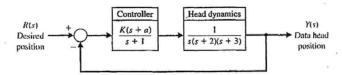
考試科目:自動控制

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第1頁,共2頁

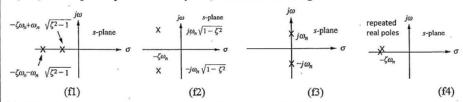
※ 考生請注意:本試題不可使用計算機。 請於答案卷(卡)作答,於本試題紙上作答者,不予計分。

1. (25%) Large welding robots are used in today's auto plants. The welding head is moved to different positions on the auto body, and a rapid, accurate response is required. A block diagram of a welding head positioning system is shown as follows.



- (a) Please derive the characteristic equation of the system. (5%)
- (b) What is the steady state error when the desired position is a step input? (5%)
- (c) Please determine the range of K and a for which the system is stable. (5%)
- (d) Suppose that K=40, please find the range of a that makes the system stable. (5%)
- (e) Please draw the root locus when a = -1. (5%)

2. (25%) For an open-loop second order system, consider the following four cases:



- (a). Determine the range of the damping ratio of figures (f1)~(f4). (5%)
- (b). Please draw the time response when the input is a step function. (5%)
- (c). What is the steady state for each case when applying a step input? (5%)
- (d). Please derive the time domain analytic solution of (f2), in which a step input is applied. (10%)

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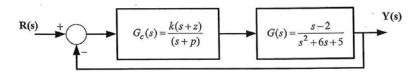
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#### 第2頁,共2頁

## 3.(30%)

Consider a non-minimum phase system described as follows

- (a). Design a first order controller  $G_C(s)$  using the root locus method, such that the error to a step input is zero and the complex closed-loop pores are located at  $-1 \pm j$ . (15%)
- (b). Draw the root locus of the compensated system with  $G(s)G_C(s)$  obtained in (a). (10%)
- (c). Determine the corresponding gain margin of the compensated system. (5%)



## 4. (20%)

Draw the Nyquist plot of the system  $G(s) = \frac{5(s+2)}{s(s-1)}$ . (10%)

Determine the closed-loop stability by Nyquist stability criterion. (10%)

$$R(s)$$
  $+$   $G(s)$   $Y(s)$