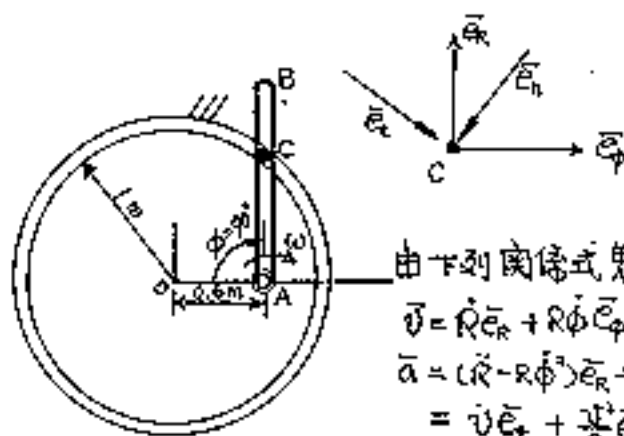


1. Arm AB rotates clockwise in the horizontal plane and moves the pin C along the fixed circular groove (see Fig.1). The constant rotating speed of arm AB is 120 rpm. Mass of pin C: 1 kg. Radius of circular curve: 1.0 m. When $\phi = 90^\circ$, determine
 - (a) Velocity of pin C. (5%)
 - (b) Acceleration of pin C. (5%)
 - (c) Force exerted on pin C by arm AB. (5%)
2. In Fig.2, the spring is initially elongated 200 mm. $m_A = 2$ Kg, $m_B = 1$ Kg. The spring constant of the spring is $k = 1000$ N/m. Friction between block A and the horizontal plane is 0.1. Determine the velocity of block A at position where the spring has no force. (15%)
3. In Fig. 2, the mass of bar AB is 2 kg and the mass of the sliders is negligible. The length of bar AB is $L = 3$ m. The system lies in the vertical plane. If the bar was at rest when $\theta = 0^\circ$, determine the follows:
 - (a) Velocity of slider A when $\theta = 30^\circ$. (5%)
 - (b) Angular velocity (ω) of bar AB when $\theta = 30^\circ$. (5%)
 - (c) Velocity (v_G) at center point G of bar AB when $\theta = 30^\circ$. (5%)
 - (d) Kinetic energy of bar AB when $\theta = 30^\circ$. ($I_G = mL^2/12$). (5%)
4. In Fig. 4, E (modulus of elasticity) and A (cross section area) are constant for each bar. Determine
 - (a) Forces in the bars AD and BD. (6%)
 - (b) Deformation of the bars AD and BD. (6%)
5. A solid bar ABCD has diameter $d = 3$ in is shown in Fig. 5. The A-end of solid bar is fixed. The D-end of solid bar is supported by a bearing. $T_B = 20000$ in-lb, $T_C = 10000$ in-lb. $T_D = 0$ in-lb. $G = 1.1 \times 10^7$ lb/in². Determine
 - (a) Maximum shear stress of bar ABCD. (6%)
 - (b) Torsion angle at the point D (related to end A). (7%)
6. Drawing the bending moment diagram and shear force diagram of the beam shown in Fig. 6. (10%)
7. A supported cantilever beam AB with length $L = 2$ m is shown in

Fig. 7. The uniform load on the beam is $Q = 500 \text{ kg/m}$.

Determine

- (a) Reaction R_A and R_B . (8%)
- (b) Moment M_A . (7%)



由下列關係式思考：
 $\vec{v} = \dot{R}\vec{e}_r + R\dot{\phi}\vec{e}_\phi = v\vec{e}_t$
 $\vec{a} = (\ddot{R} - R\dot{\phi}^2)\vec{e}_r + (R\ddot{\phi} + 2\dot{R}\dot{\phi})\vec{e}_\phi$
 $= \dot{v}\vec{e}_t + \frac{v^2}{\rho}\vec{e}_n \dots$

Fig. 1

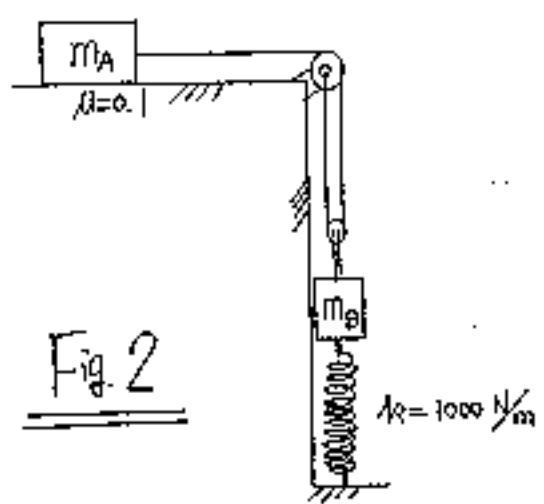


Fig. 2

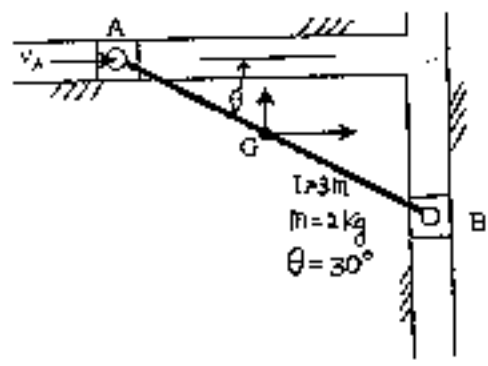


Fig. 3

Fig. 4

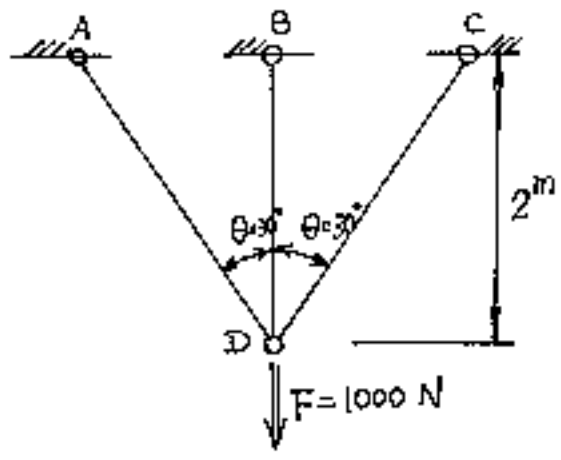


Fig. 5

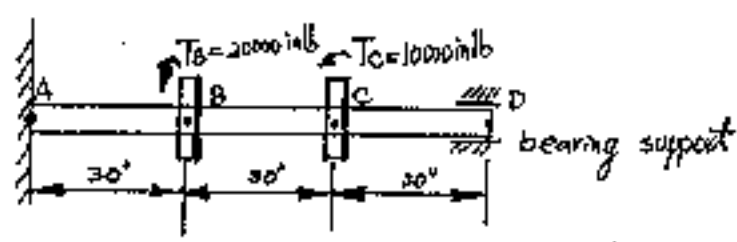


Fig. 6

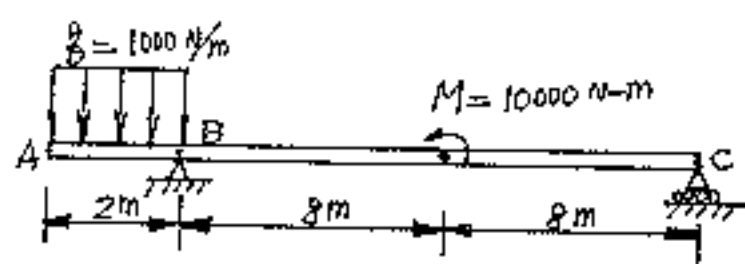


Fig. 7

