

(a) Briefly explain why the *microstrip line* can not support pure TEM-wave. (5%)
 (b) For 50-Ω microstrip line is on a substrate with ε_r = 4 and d = 8 μm at f = 60 GHz, use the <u>quasi-TEM-wave approximation</u>, determine the guided wavelength λ_{eff} and wave velocity ν_p in the microstrip line. (10%)

$$\varepsilon_{eff} = \frac{\varepsilon_r + 1}{2} + \frac{\varepsilon_r - 1}{2} \frac{1}{\sqrt{1 + 12(d/W)}}$$

* Use the **<u>pure TEM-wave approximation</u>** to the required line width W



2. As shown in the following, determine the input impedance Zin of the transmission network (10%)



$$Z_i = Z_0 \frac{Z_L + jZ_0 \tan(\beta l)}{Z_0 + jZ_L \tan(\beta l)}$$

3. The propagation constant of a lossy transmission line is

$$\gamma(=\alpha + j\beta) = \sqrt{(R + j\omega L)(G + j\omega C)}$$

It is called the distortionless line when

$$R/L = G/C$$

- (a) Determine α, β, and phase velocity v_p of
 a distortionless line. (10%)
- (b) From β, explain the advantage of a distortionless line. (5%)



(背面仍有題目,請繼續作答)



國立成功大學一〇一學年度碩士班招生考試試題

考試日期:0226, 節次:2

系所組別: 電腦與通信工程研究所丙組

(a) Prove that

考試科目: 電磁學及電磁波

※考生請注意:本試題可使用計算機,並限「考選部核定之國家考試電子計算器」機型

4. For a quarter-wavelength line transformer with a real lad impedance (Z_L) , the following curve shows an approximate response of the reflection coefficient Γ near the central frequency (f_o) . If $\Delta\theta \ll \pi/2$ and $\Delta f \ll f_0$. Γ_m can be derived as

$$\Gamma_m^{-2} = 1 + \left[\frac{2\sqrt{Z_0 Z_L} \sec\theta}{(Z_L - Z_0)}\right]^2$$
$$\frac{\Delta f}{f_0} = 2 - \frac{4}{\pi} \cos^{-1} \left[\frac{\Gamma_m}{\sqrt{1 - \Gamma_m^2}} \frac{2\sqrt{Z_0 Z_L}}{|Z_L - Z_0|}\right] \quad (5\%)$$

(b) For $\Gamma_m = 0.5$ and $Z_L = 4Z_0$, determine Δf and reflected & transmitted voltage (to the load), $V_1^-(z) \& V_2^+(z)$, at $f = f_m$. (10%)



- 5. An automotive tunnel (汽車隧道) with a rectangular cross section (width a = 15m & height b = 6 m) has <u>aluminum metallic walls</u> ($\sigma_c = 4 \times 10^8$). If this tunnel is treated as a waveguide :
 - (a) Determine the **lowest frequency** of the radio wave that will propagate through this tunnel and write down the mode (TE_{mn} or TM_{mn}) of this wave. (5%)
 - (b) Let the **tunnel length** is **100 m** and a **12-MHz radio wave** propagating into this tunnel. Find the **total attenuation** (dB) of this radio wave through this tunnel. (5%)
 - (c) Determine the VSWR of the radio wave at the end of the tunnel-waveguide (like having a free-space load). (5%)

Note: Waveguide wavelength and
$$TE_{10}$$
-mode impedance
 $\lambda_g = \lambda / \sqrt{1 - (f_c/f)^2}$ & $Z_{TE} = \eta_0 / \sqrt{1 - (f_c/f)^2}$
Waveguide TE_{10} mode attenuation constant :
 $\alpha_{c_{TE10}} = \frac{\lambda}{b\lambda_g} \sqrt{\frac{\pi}{\lambda \eta_0 \sigma_c}} \left[1 + (\lambda_g/\lambda_c)^2 (1 + 2\frac{b}{a}) \right]$



- 7. Let the transmitter output power is $P_t = 1$ W and the dipole-antenna input and transmitter output impedance are shown in the figure (f = 10 GHz).
 - (a) Calculate the relected power (to the transmitter) and dipole-antenna radiation power P_{rad} (dBm) (if the antenna radiation efficiency $\eta_{rad}=0.8$). (10%)
 - (b) From the antenna directive gain pattern (in dB) shown in the figure, calculate the radiation power density (p_{av}) and *E*-filed strength in the direction of $\theta = 60^{\circ}$ and



